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ERRATA.

Page 78, for No. 106, read 112.
Page 115, next to last line, delete $-.0095M\sin^2\varphi$.
Page 117, last line, for Bulletin American Mathematical Society, read Science.
Page 243, ll. 15 and 24, and p. 244, l. 7, for $(-b\pm\sqrt{D})/a$, read $(-b\pm\sqrt{D})/2a$.
Page 243, lines 21, 25, 31, for $2(\mid a \mid +\sqrt{D})$, read $2 \mid a \mid +\sqrt{D}$.
Page 244, strike out 2 where it appears as a coefficient of $\sqrt{D}$.
Page 252, first line, read has p and only p solutions.

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